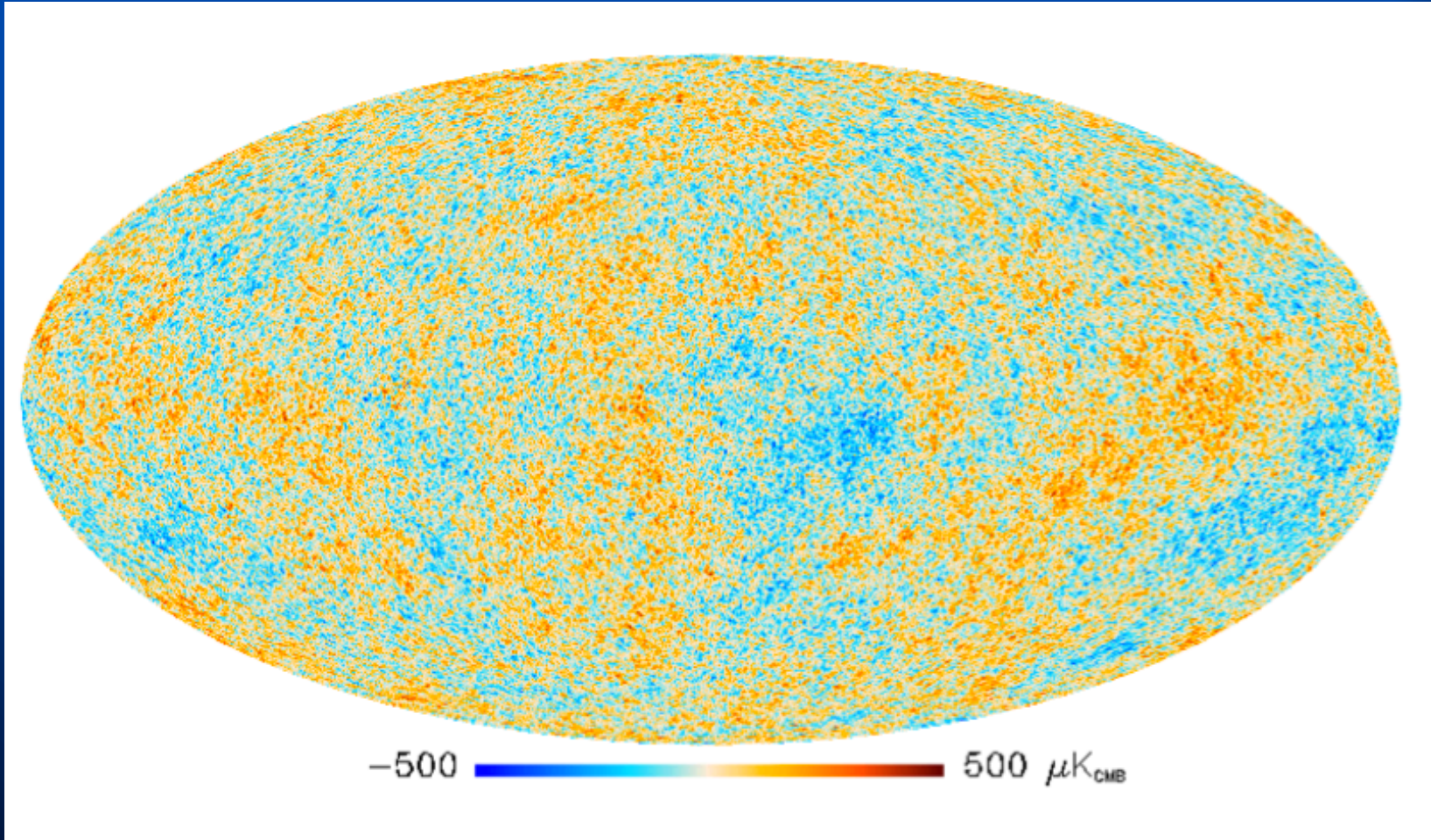


# Cosmology after 50 years of Texas meetings

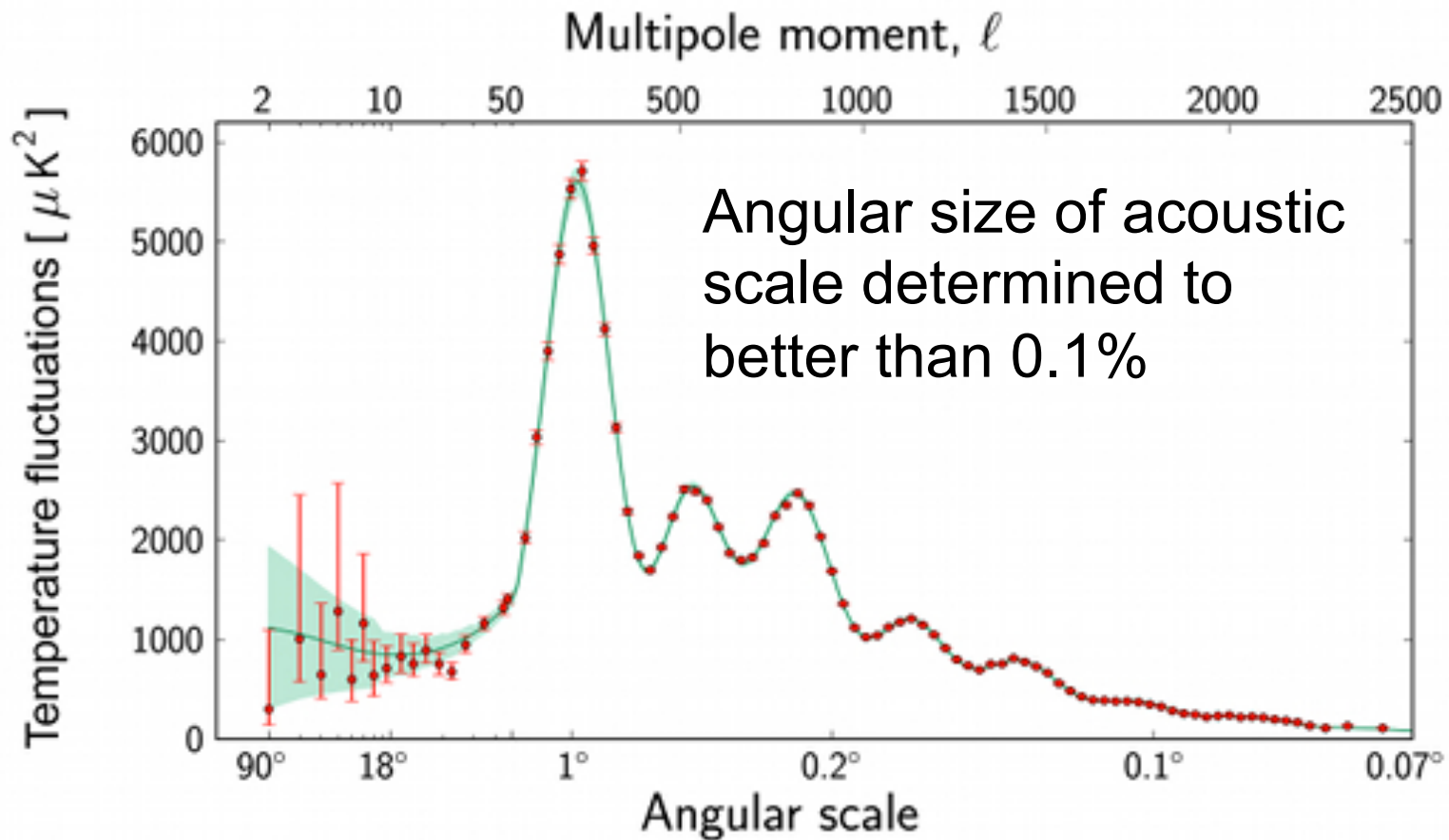
- Where are we now?
- Experimental Tensions
- Theoretical Tensions
- What are the missing pieces? Dark matter and dark energy

Katherine Freese, Univ. of Michigan

# The Universe according to Planck



# Planck Data



Seven acoustic peaks

LAMDA CDM FITS THE DATA

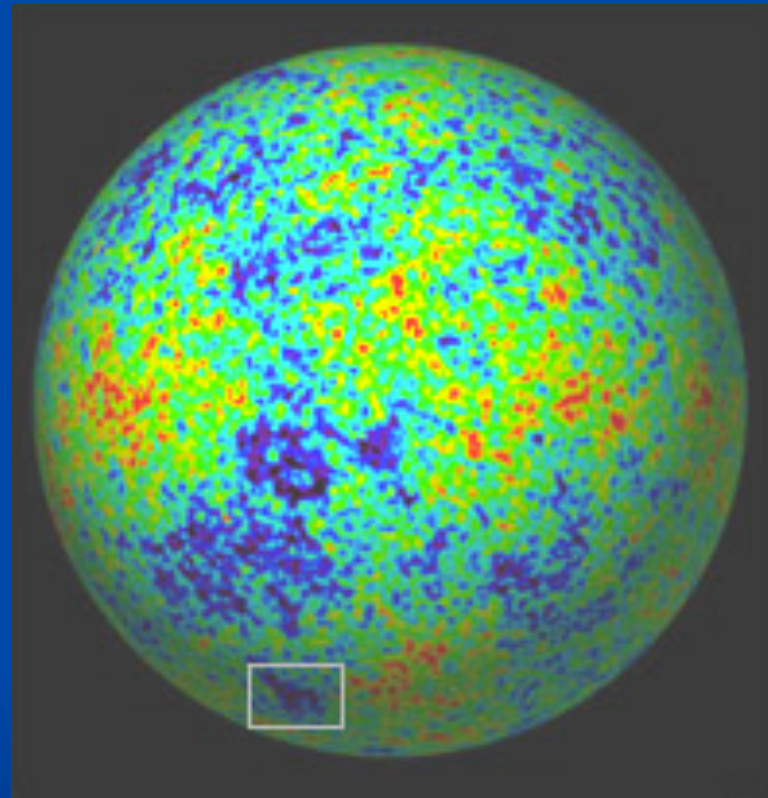
# Cosmological Parameters from Planck

Parameter	<i>Planck</i> (CMB+lensing)		<i>Planck</i> +WP+highL+BAO	
	Best fit	68 % limits	Best fit	68 % limits
$\Omega_b h^2$ . . . . .	0.022242	$0.02217 \pm 0.00033$	0.022161	$0.02214 \pm 0.00024$
$\Omega_c h^2$ . . . . .	0.11805	$0.1186 \pm 0.0031$	0.11889	$0.1187 \pm 0.0017$
$100\theta_{MC}$ . . . . .	1.04150	$1.04141 \pm 0.00067$	1.04148	$1.04147 \pm 0.00056$
$\tau$ . . . . .	0.0949	$0.089 \pm 0.032$	0.0952	$0.092 \pm 0.013$
$n_s$ . . . . .	0.9675	$0.9635 \pm 0.0094$	0.9611	$0.9608 \pm 0.0054$
$\ln(10^{10} A_s)$ . . . . .	3.098	$3.085 \pm 0.057$	3.0973	$3.091 \pm 0.025$
$\Omega_\Lambda$ . . . . .	0.6964	$0.693 \pm 0.019$	0.6914	$0.692 \pm 0.010$
$\sigma_8$ . . . . .	0.8285	$0.823 \pm 0.018$	0.8288	$0.826 \pm 0.012$
$z_{ee}$ . . . . .	11.45	$10.8^{+3.1}_{-2.5}$	11.52	$11.3 \pm 1.1$
$H_0$ . . . . .	68.14	$67.9 \pm 1.5$	67.77	$67.80 \pm 0.77$
Age/Gyr . . . . .	13.784	$13.796 \pm 0.058$	13.7965	$13.798 \pm 0.037$
$100\theta_*$ . . . . .	1.04164	$1.04156 \pm 0.00066$	1.04163	$1.04162 \pm 0.00056$
$r_{drag}$ . . . . .	147.74	$147.70 \pm 0.63$	147.611	$147.68 \pm 0.45$
$r_{drag}/D_V(0.57)$ . . . . .	0.07207	$0.0719 \pm 0.0011$		

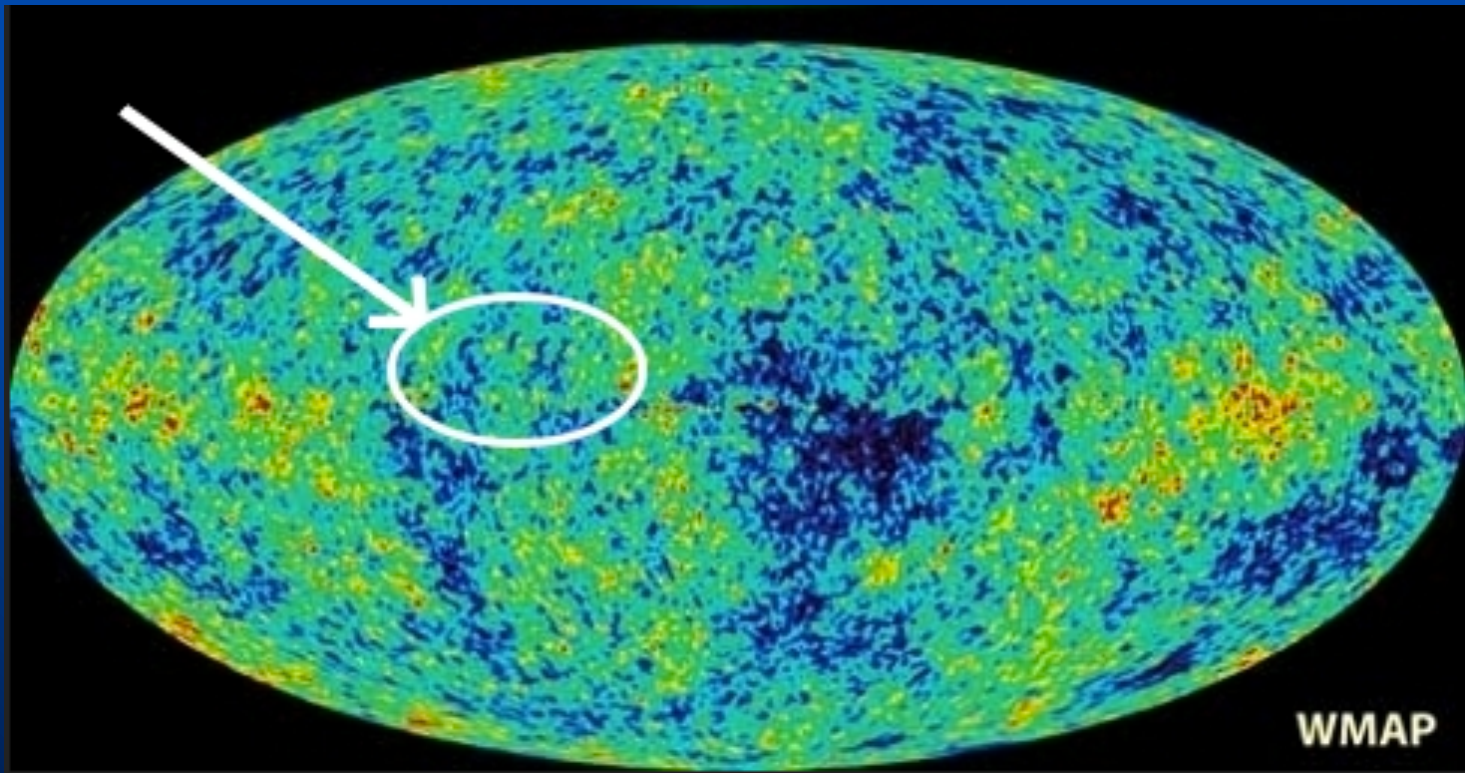
# Weird Anomalies of WMAP hold up

- Alignment between quadrupole and octopole moments (axis of evil)
- Asymmetry of power between two hemispheres
- The Cold Spot
- Deficit of power in low- $l$  modes (below  $l=30$ )
  
- All confirmed to 3 sigma
- Cosmological origin favored (consistency between different CMB maps)

# WMAP cold spot (also in Planck)



# SH initials in WMAP satellite data

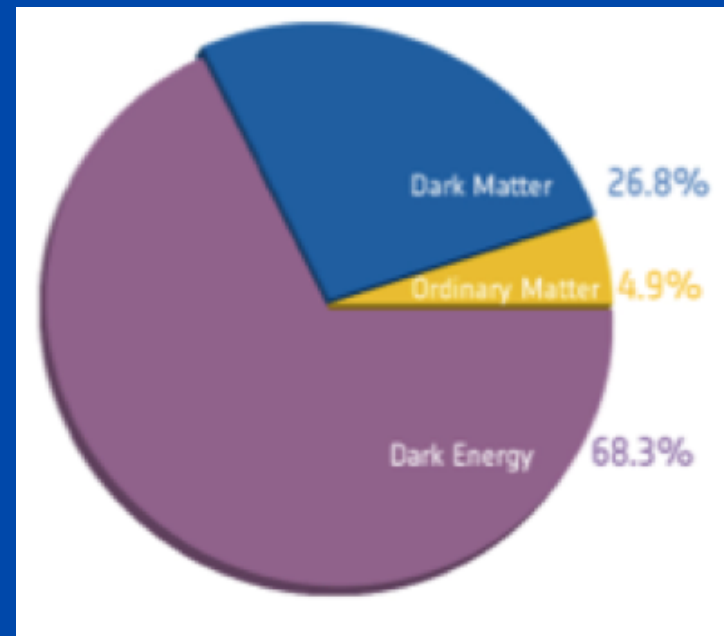
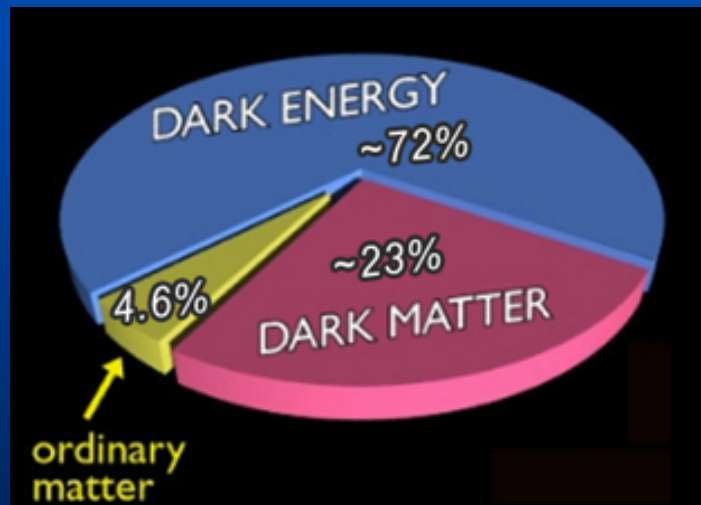


# Experimental Tensions



# More dark matter

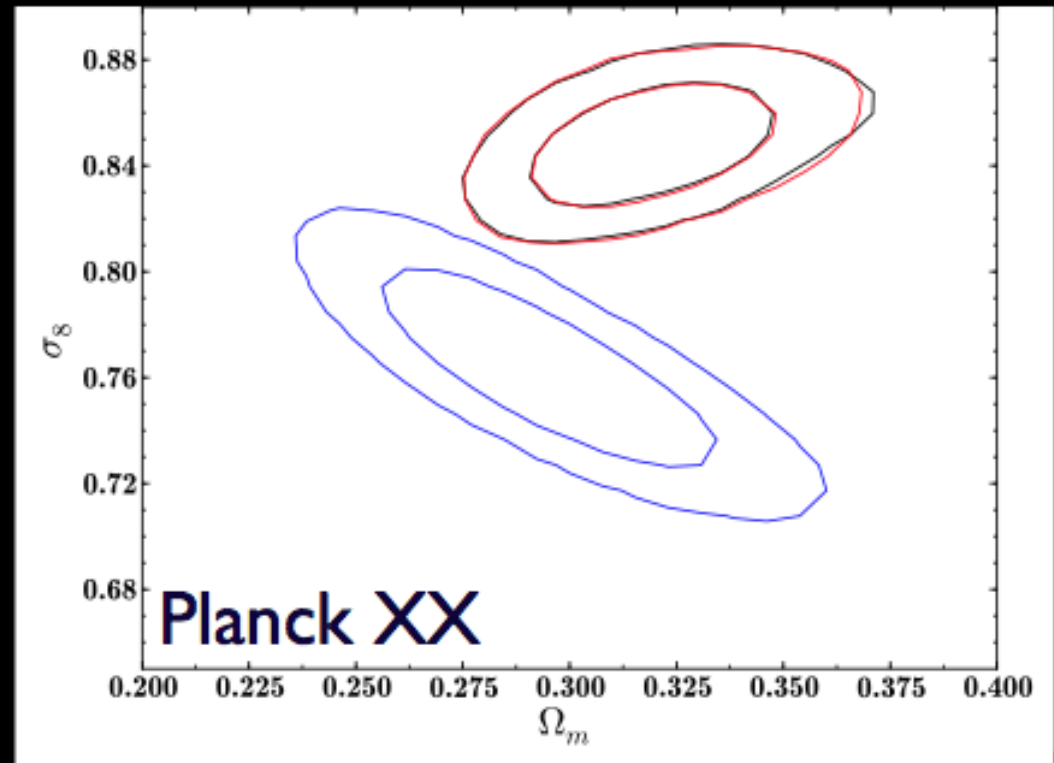
- WMAP: 4.7% baryons, 23% DM, 72% dark energy
- PLANCK: 4.9% baryons, 26% DM, 69% dark energy



For discussion: is the difference due to instrumental effects?  
Is it due to 217 X 217 GHz spectra?

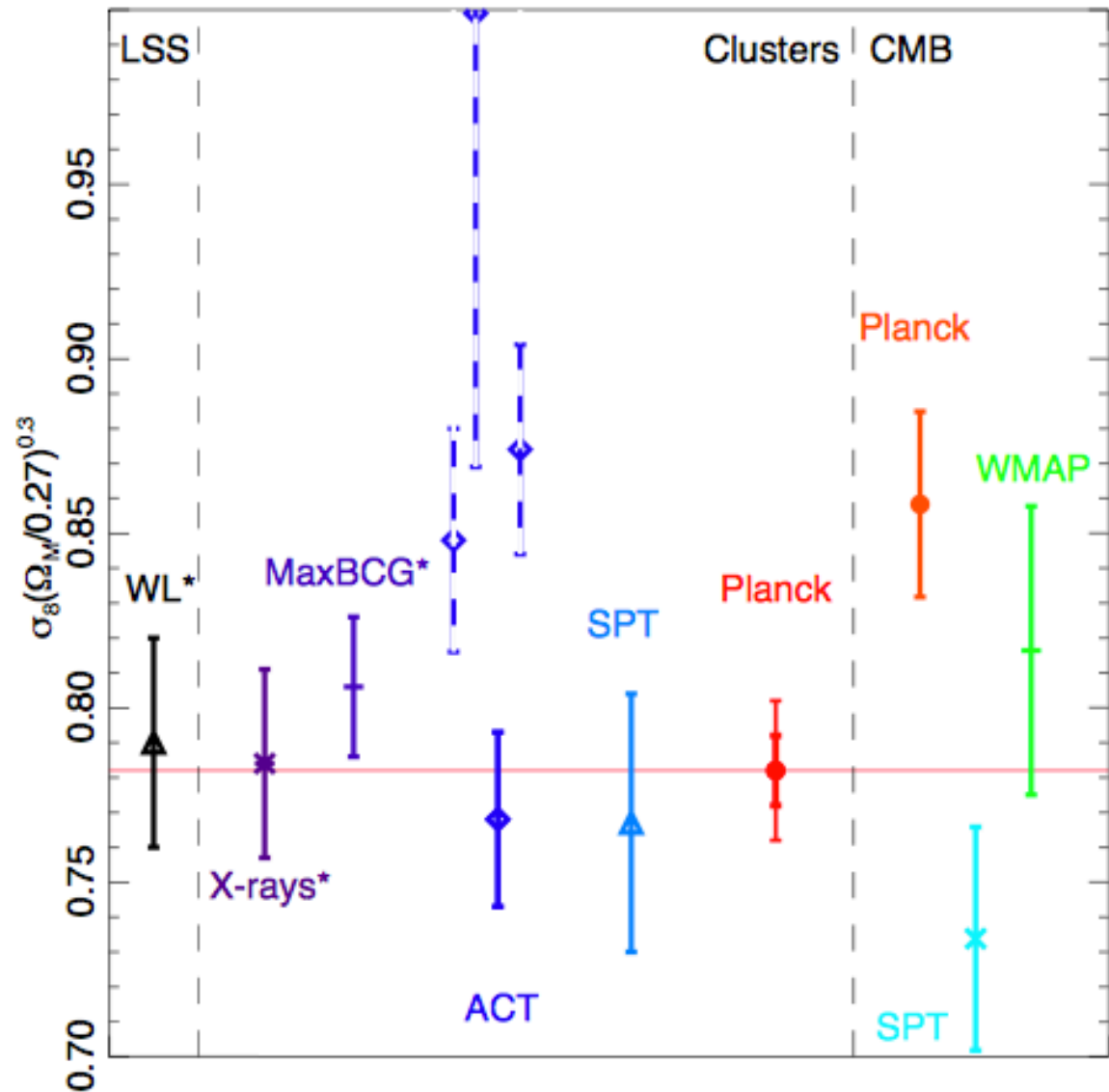
# Parameter Concerns

- High matter density seems 2-3  $\sigma$  higher than cluster and lensing estimates
- Low Hubble Constant deviates from most recent measurements
- High amplitude of density fluctuations



**New physics or systematics in multiple data sets or systematics in Planck?**

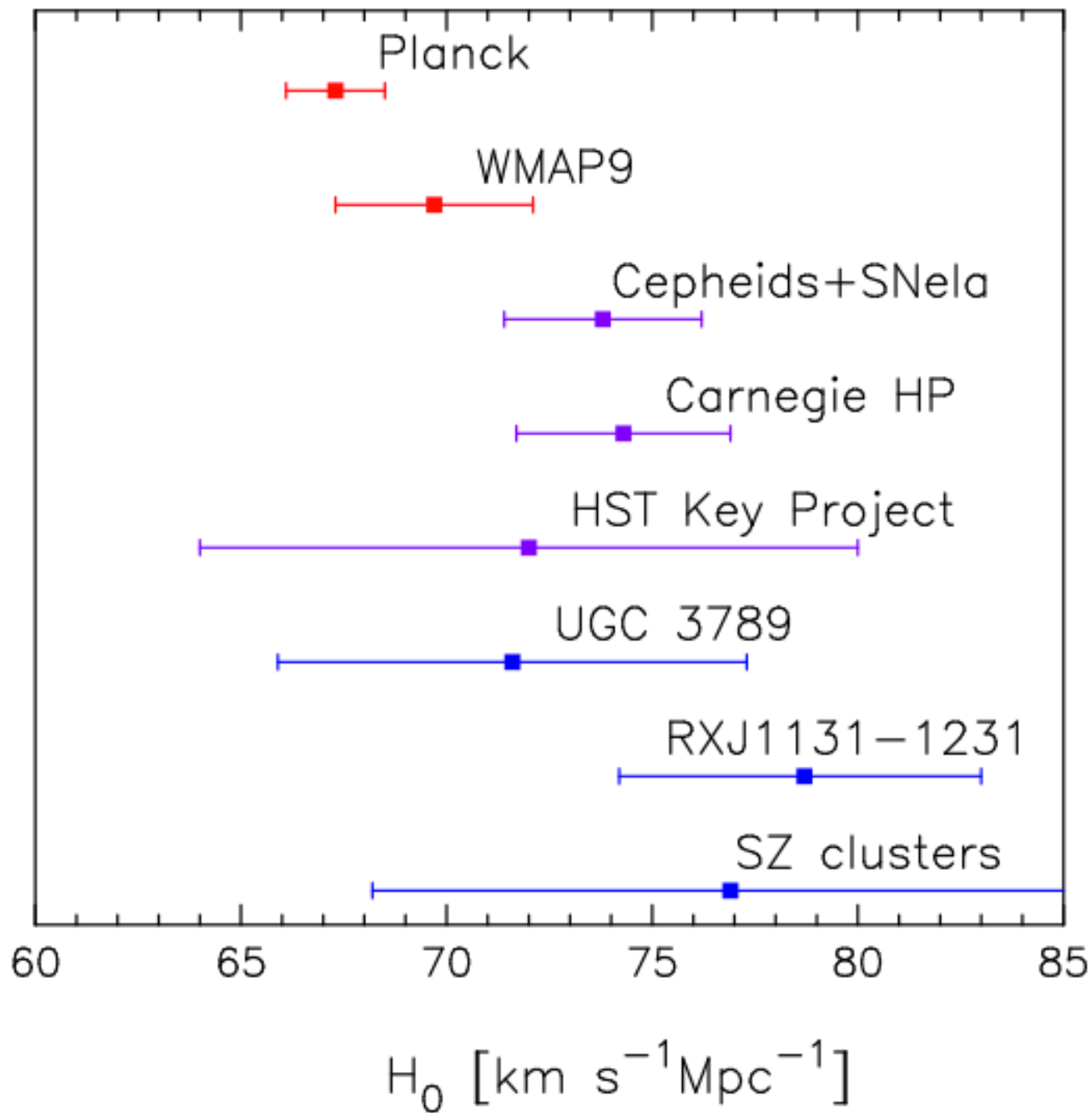
Sigma8 measures the amplitude of the (linear) power spectrum on the scale of  $8 h^{-1}$  Mpc



a crucial cosmological parameter which has a big influence over growth of fluctuations in the early universe

# Strange H0 discrepancy

- FROM CMB MEASUREMENTS:
  - Planck:  $67 \pm 1.2$
  - WMAP9:  $69.7 \pm 2.4$
- vs.
  - Freedman et al (2012, HST + Spitzer):  $74.3 \pm 1.5 \pm 2.1$
  - Riess et al (2011):  $73.8 \pm 2.4$
- Is this indicative of real physics? Did H0 change between  $z=1000$  and  $z=1$ ?



- THE  $217 \times 217$  POWER SPECTRUM: A FLY IN THE OINTMENT?

- arXiv:1312:3313

- Spergel, Flauger, Hlozek

- “The  $217 \times 217$  detector set spectra are responsible for a significant amount of the shift in cosmological parameters”

# Minimal inflation:

- 1) a single weakly-coupled neutral scalar field, the inflaton, drives the inflation and generates the curvature perturbation
  - 2) with canonical kinetic term
  - 3) slowly rolling down featureless potential
  - 4) initially lying in a Bunch-Davies vacuum state
- If any one of these conditions is violated, detectable amplitudes of nonGaussianity should have been seen.

$$\langle \Phi(\mathbf{k}_1)\Phi(\mathbf{k}_2)\Phi(\mathbf{k}_3) \rangle = (2\pi)^3 \delta^{(3)}(\mathbf{k}_1 + \mathbf{k}_2 + \mathbf{k}_3) B_\Phi(k_1, k_2, k_3).$$

$$B_\Phi(k_1, k_2, k_3) = f_{\text{NL}} F(k_1, k_2, k_3).$$

# Primordial nonGaussianities

- If primordial fluctuations are Gaussian distributed, then they are completely characterized by their two-point function, or equivalently by the power spectrum. All odd-point functions are zero.
- If nonGaussian, there is additional info in the higher order correlation functions
- The lowest order statistic that can differentiate is the 3-point function, or bispectrum in Fourier space:

$$\langle \Phi(\mathbf{k}_1)\Phi(\mathbf{k}_2)\Phi(\mathbf{k}_3) \rangle = (2\pi)^3 \delta^{(3)}(\mathbf{k}_1 + \mathbf{k}_2 + \mathbf{k}_3) B_{\Phi}(\mathbf{k}_1, \mathbf{k}_2, \mathbf{k}_3).$$

- Here Phi is comoving curvature perturbation (density pert)



# No primordial nonGaussianities in Planck

- Single field models: so small as to be undetectable
- Other models: three shapes (configurations of triangles formed by the three wavevectors)
- Any detection of nonGaussianity would have thrown out all single field models
- Data show no evidence of nonGaussianity, implying single field models work

$f_{NL}$		
Local	Equilateral	Orthogonal
$2.7 \pm 5.8$	$-42 \pm 75$	$-25 \pm 39$

- Data bound the speed of sound  $c_s > 0.02$

# Models with NG: $f_{NL} \gg 1$

- Local NG: squeezed triangles,  $k_1 \ll k_2 = k_3$ , e.g. multifield models, curvaton
- Equilateral NG,  $k_1 = k_2 = k_3$ , e.g. non-canonical kinetic terms as in k-inflation or DBI inflation, models with general higher-derivative interactions of the inflaton field such as ghost inflation, and models arising from effective field theories
- Folded NG, e.g. single-field models w non-Bunch-Davies vacuum, and models with general higher derivative interactions.
- Orthogonal NG, e.g. non-canonical kinetic terms.

No evidence for any of these nonGaussianities in Planck.  
Disfavored: EKPYROTIC with exponential potential

# Predictions of Single Field Models

- 1) no nonGaussianities
- 2) no running of spectral index of scalar perturbations

- Scalar modes
- Tensor modes

$$\mathcal{P}_{\mathcal{R}}(k) = A_s \left( \frac{k}{k_*} \right)^{n_s - 1 + \frac{1}{2} \frac{dn_s}{d \ln k} \ln(k/k_*) + \frac{1}{8} \frac{d^2 n_s}{d \ln k^2} (\ln(k/k_*))^2 + \dots}$$
$$\mathcal{P}_t(k) = A_t \left( \frac{k}{k_*} \right)^{n_t + \frac{1}{2} \frac{dn_t}{d \ln k} \ln(k/k_*) + \dots},$$

- Both predictions proven true by Planck
- “With these results, the paradigm of standard single-field inflation has survived its most stringent tests to date”

# Four parameters from inflationary perturbations:

I. Scalar perturbations:

amplitude  $(\delta\rho/\rho)|_S$  spectral index  $n_S$

II. Tensor (gravitational wave) modes:

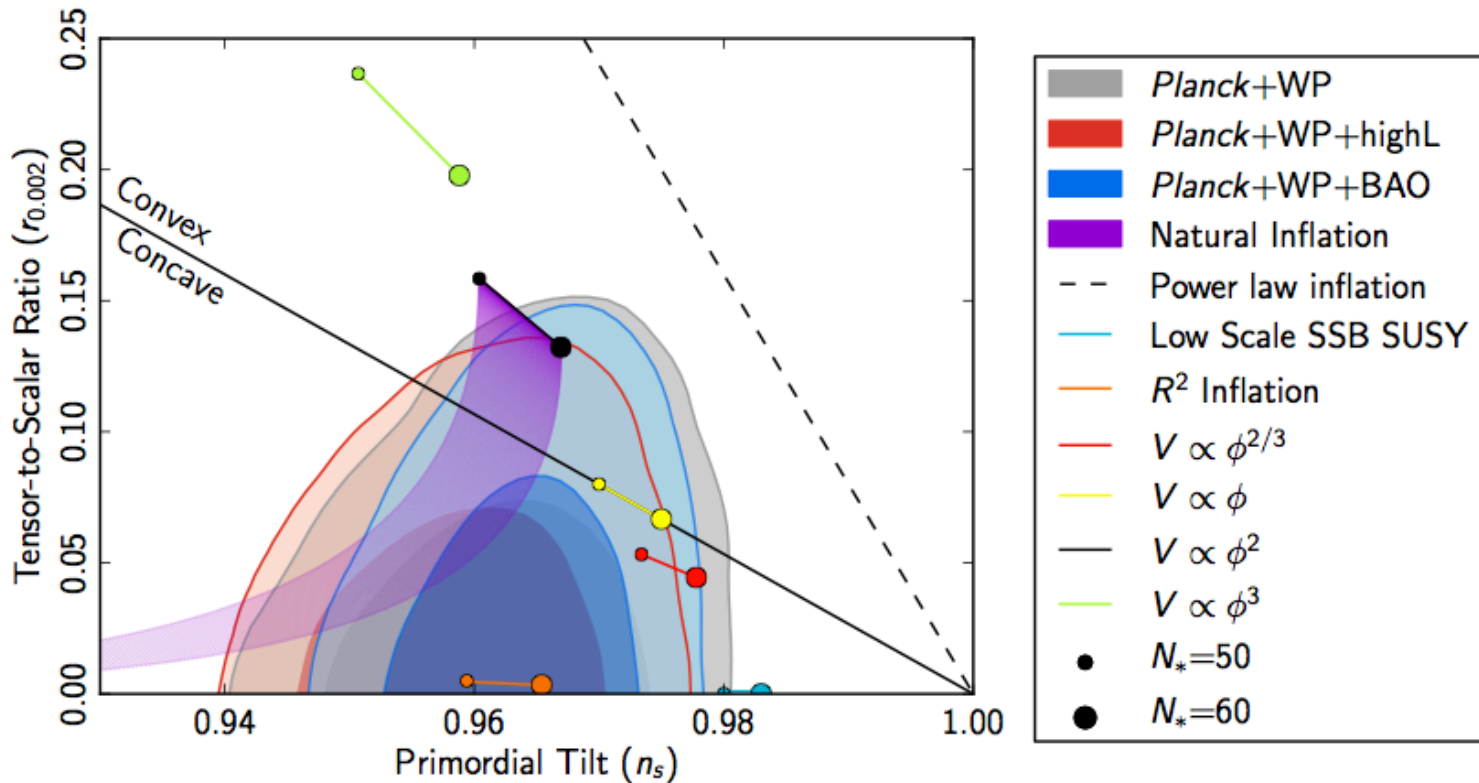
amplitude  $(\delta\rho/\rho)|_T$  spectral index  $n_T$

Expressed as  $r \equiv \frac{P_T^{1/2}}{P_S^{1/2}}$

Inflationary consistency condition:  $r = -8n_T$

Plot in r-n plane (two parameters)

# Inflation after Planck (Planck paper XXII)



**Fig. 1.** Marginalized joint 68% and 95% CL regions for  $n_s$  and  $r_{0.002}$  from *Planck* in combination with other data sets compared to the theoretical predictions of selected inflationary models.

Purple swath is natural inflation model of  
Freese, Frieman, and Olinto 1990

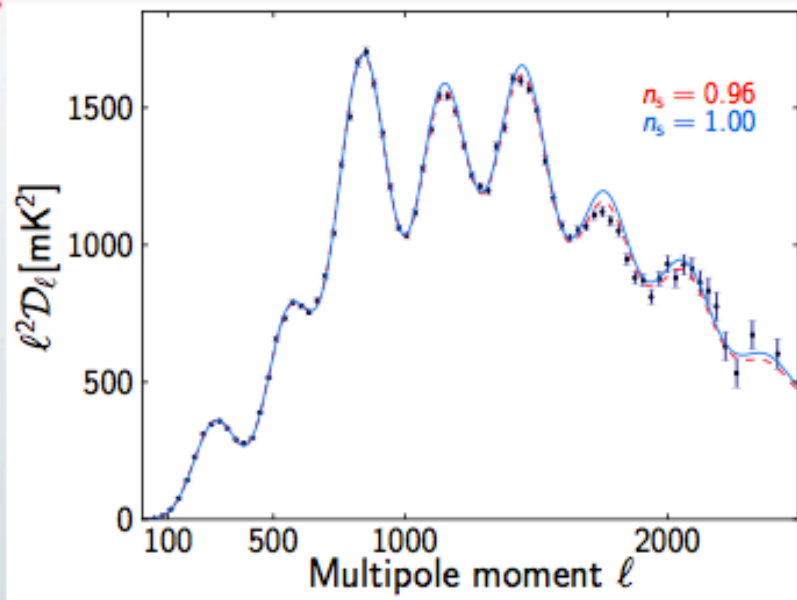
# Natural Inflation: Shift Symmetries

- Shift symmetries (e.g. axionic) protect flatness of inflaton potential  
 $\Phi \rightarrow \Phi + \text{constant}$  (e.g. inflaton is Goldstone boson)
- Additional explicit breaking allows field to roll.
- This mechanism, known as natural inflation, was first proposed in

Freese, Frieman, and Olinto 1990;  
Adams, Bond, Freese, Frieman and Olinto 1993

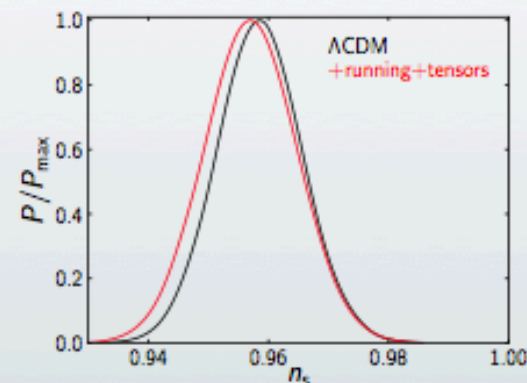
# Extensions to $\Lambda$ CDM model

## Early-Universe physics: $n_s$ , $dn_s/dk$ and $r$



$6\sigma$  departure  
from scale  
invariance

$$n_s = 0.9603 \pm 0.0073$$

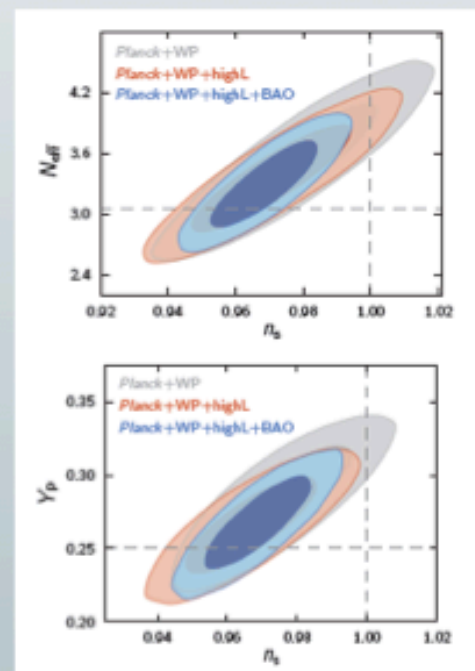
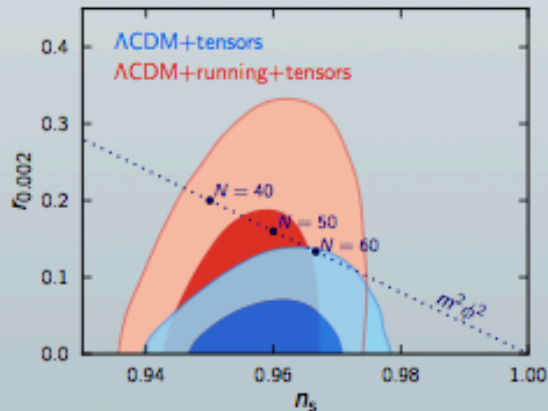
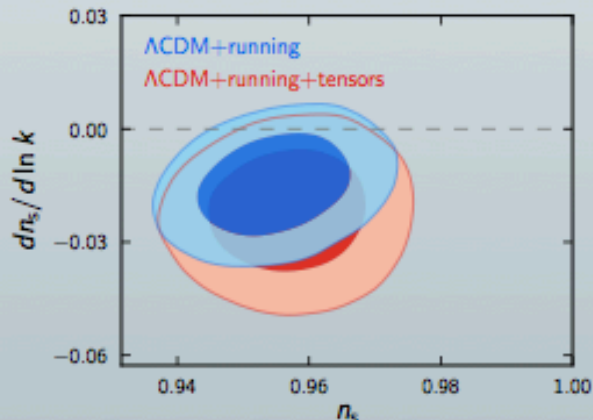


$l < 50$

$$dn_s / d \ln k = -0.0134 \pm 0.0090$$

$$r < 0.11 \quad V_*$$

$$V = (1.94 \times 10^{16} \text{ GeV})^4 (r_{0.002} / 0.12)$$



$3\sigma$

# We eagerly await Planck polarization data

- To date:  $r < 0.12$  ( $k = 0.002 \text{ Mpc}^{-1}$ ) at 95% C.L.

The *Planck* constraint on  $r$  corresponds to an upper bound on the energy scale of inflation

$$V_* = \frac{3\pi^2 A_s}{2} r M_{\text{pl}}^4 = (1.94 \times 10^{16} \text{ GeV})^4 \frac{r_*}{0.12}, \quad (33)$$

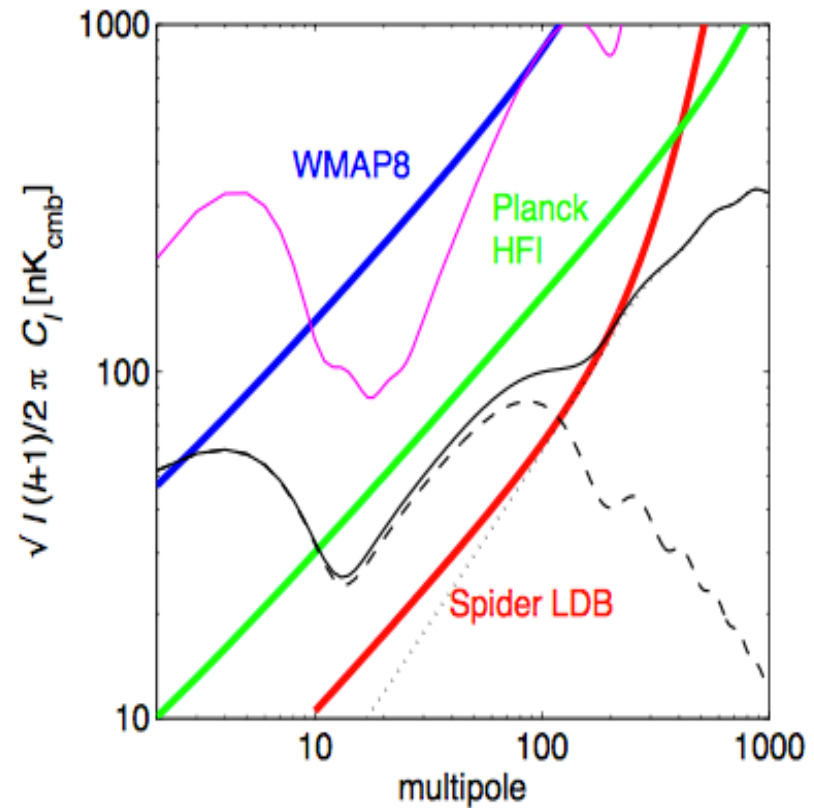
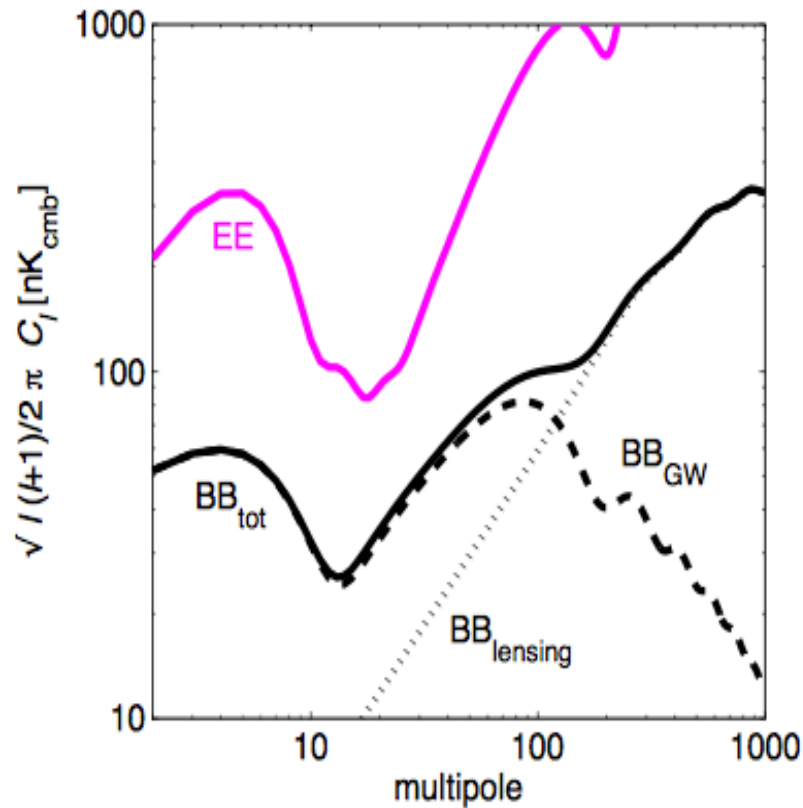
at 95% CL. This is equivalent to an upper bound on the Hubble parameter during inflation of  $H_*/M_{\text{pl}} < 3.7 \times 10^{-5}$ . In terms of slow-roll parameters, *Planck*+WP constraints imply  $\epsilon_V < 0.008$  at 95% CL, and  $\eta_V = -0.010^{+0.005}_{-0.011}$ .

- If cosine (original variant of natural inflation) is right, then  $r > 0.02$  is predicted (given bounds on  $n_s$ )



# What's next for inflation? Polarization: SPIDER, ACT, SPT

- (talk of Aurelien Fraisse)

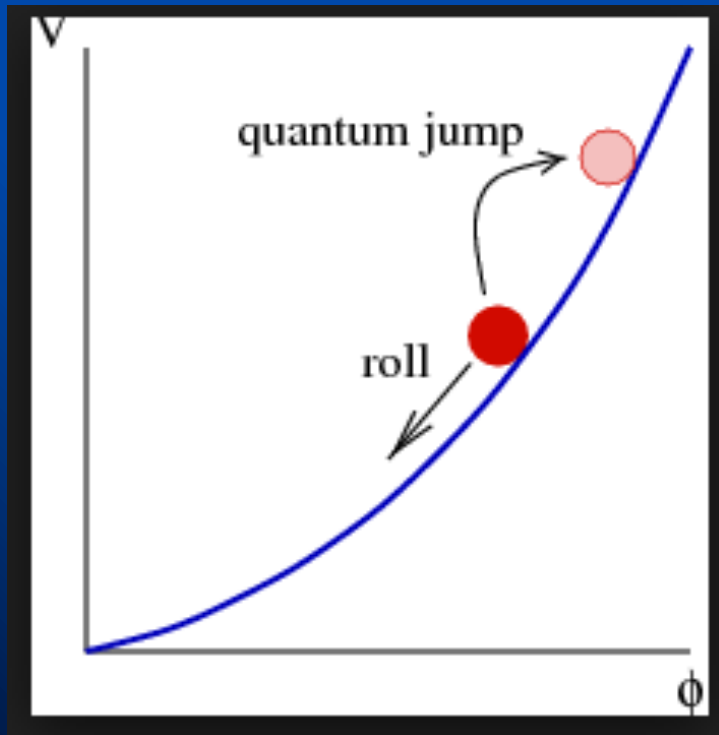


# Large Scale Structure

- Provides complementary and/or competing info w/ CMB
- Different temporal (later) and spatial (smaller) scales
- LSS has more modes and in principle more info:
  - CMB is 2D
  - LSS is 3D
- Yet: can systematic errors be controlled?
- LSS has great potential: can it be tapped?

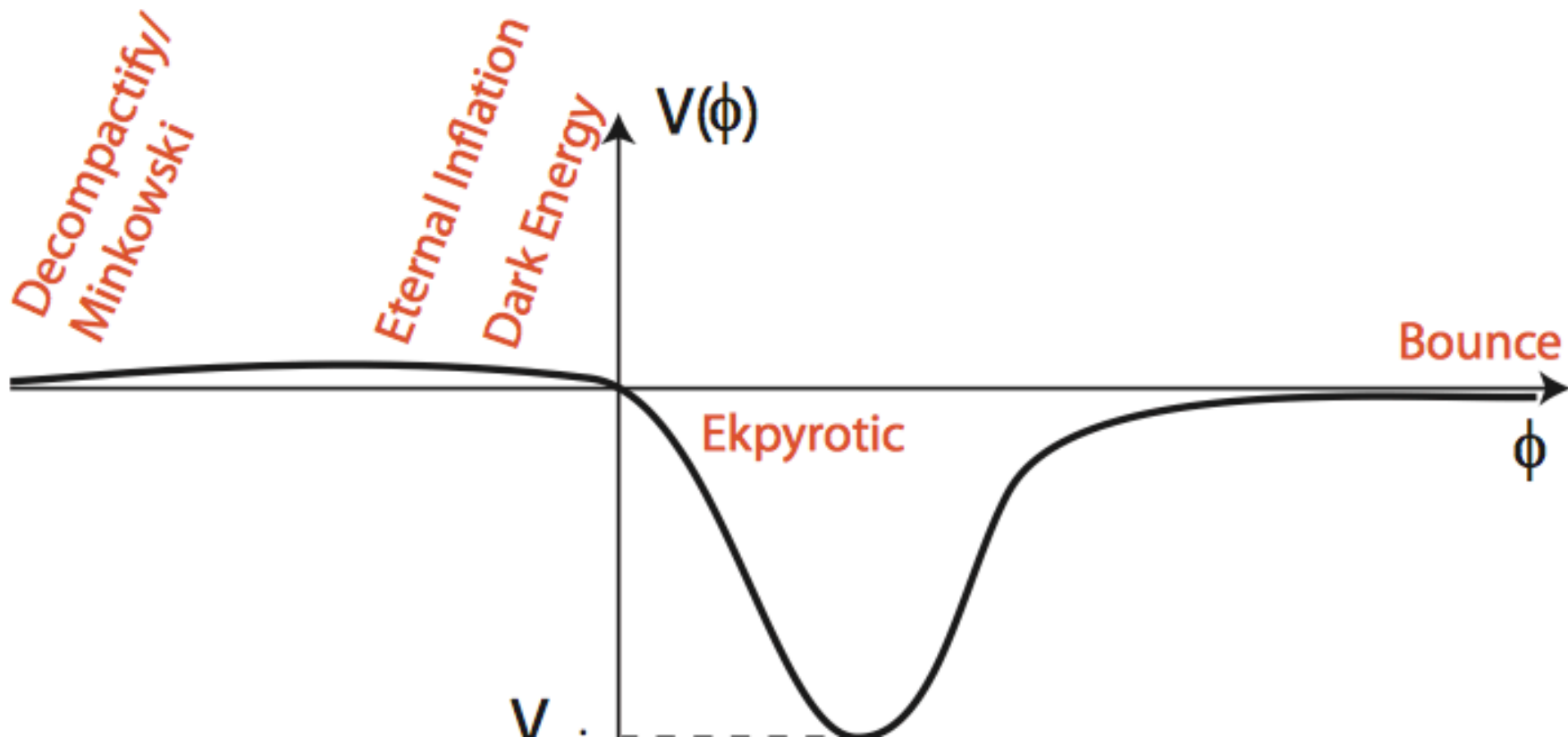
# Theoretical Tension

# Eternal Inflation

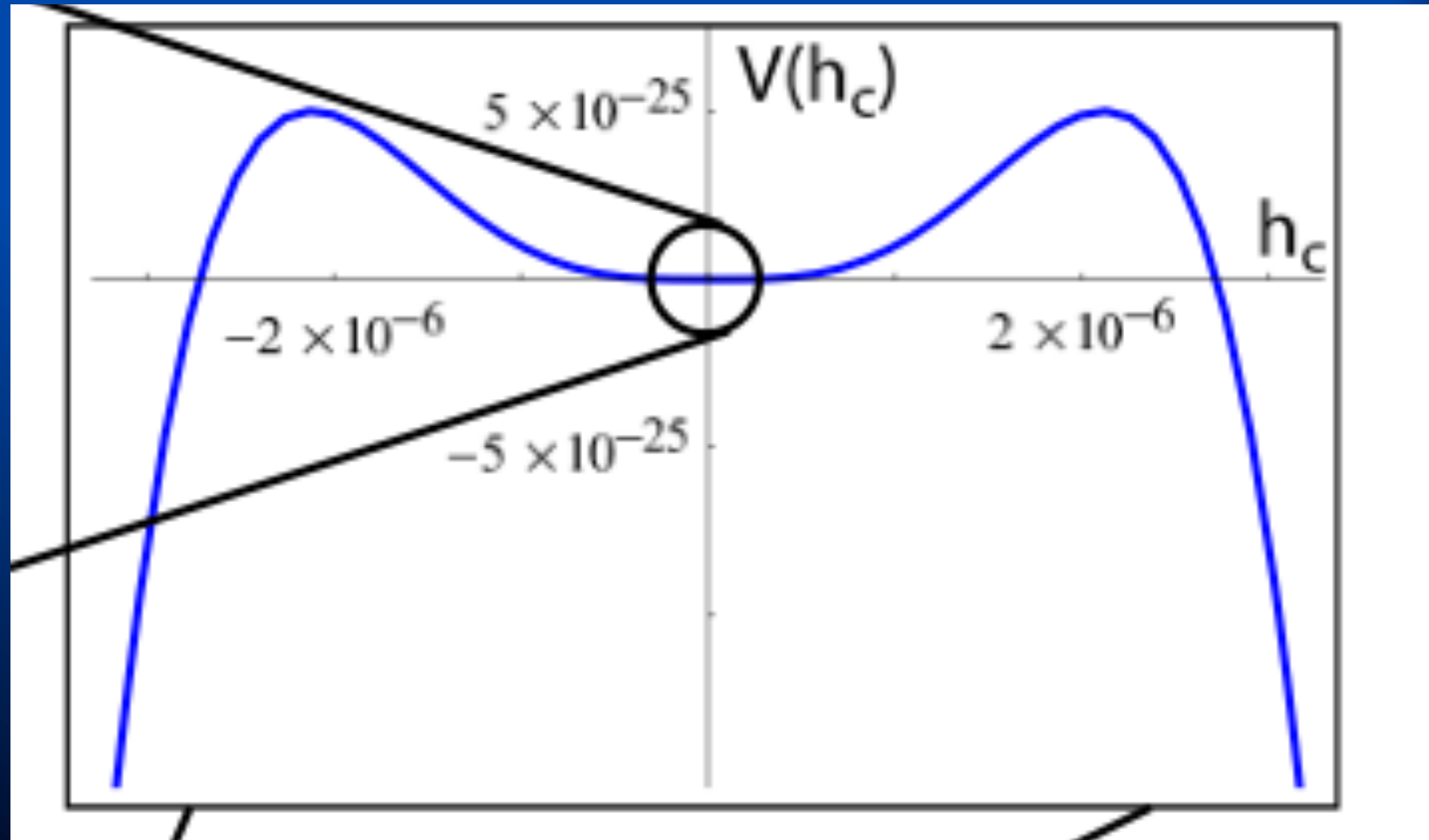


# Alternatives

- Penrose: Conformal Cyclic Cosmology predicts circles in the CMB sky
- Expyrotic/Cyclic Models (Steinhardt)



# New variant uses metastability of the Higgs



**What are the missing pieces?  
Dark matter and Dark energy**

# The WIMP Miracle

**Weakly Interacting Massive Particles are the best motivated dark matter candidates**, e.g.: Lightest Supersymmetric Particles (such as neutralino) are their own antipartners. Annihilation rate in the early universe determines the density today.

- The annihilation rate comes purely from particle physics and automatically gives the right answer for the relic density!

$$\Omega_{\chi} h^2 = \frac{3 \times 10^{-27} \text{ cm}^3 / \text{sec}}{\langle \sigma v \rangle_{ann}}$$

This is the mass fraction of WIMPs today, and gives the right answer (23%) if the dark matter is weakly interacting

**WIMP mass: GeV – 10 TeV**



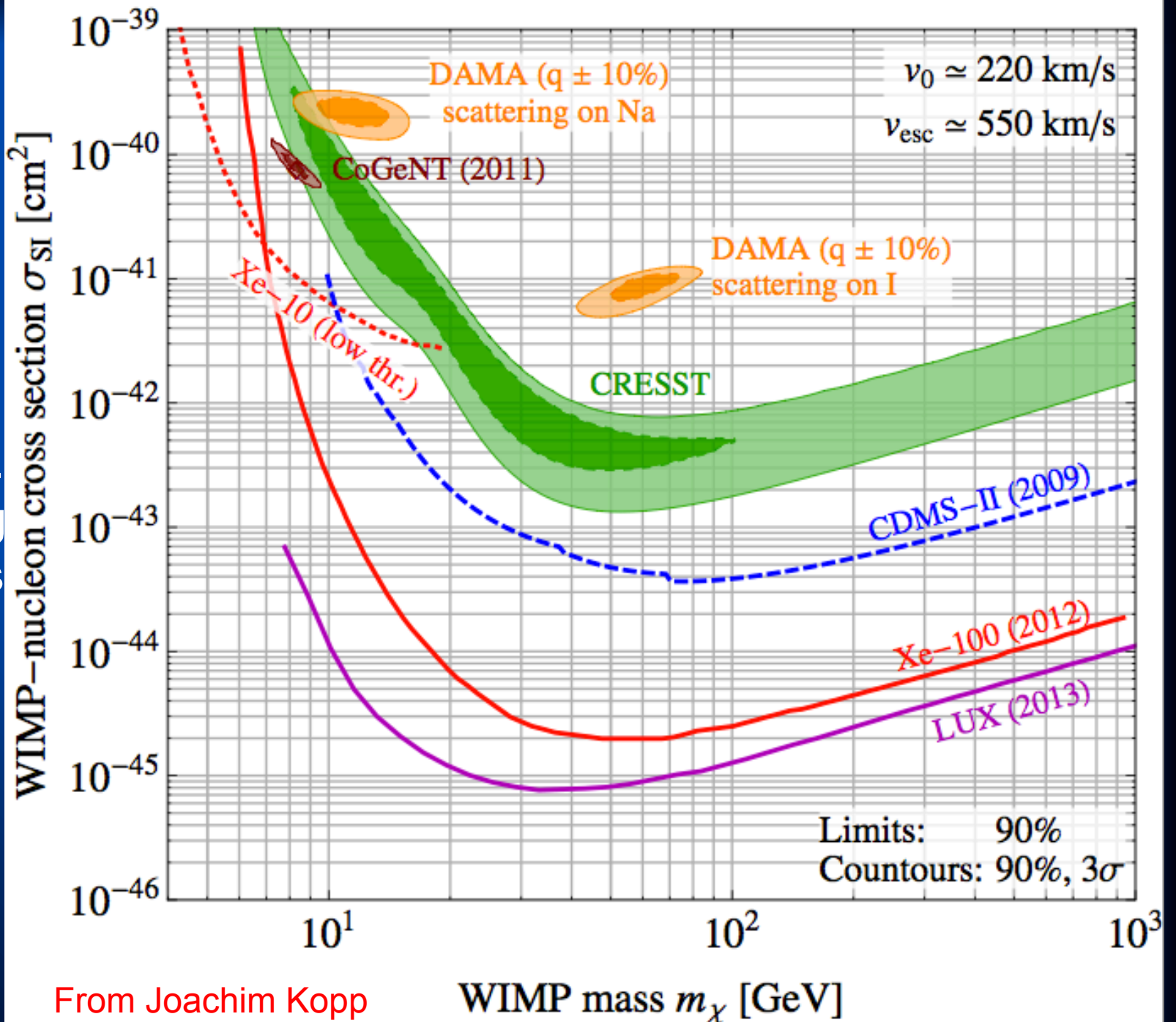
# Three Pronged Approach to WIMP detection

## detection

- **Colliders:** produce WIMPs directly at LHC (missing energy signature)
- **Direct detection:** observe WIMPs through collisions with matter in terrestrial detectors
- **Indirect detection:** observe products of WIMP annihilation/decay in terrestrial or space-based detectors

DARK STARS: WIMP annihilation powers the first stars

Assumes  
Spin-  
Independ.  
Scattering  
i.e. scales  
as  $A^2$



From Joachim Kopp

# Possible evidence for WIMP detection already now:

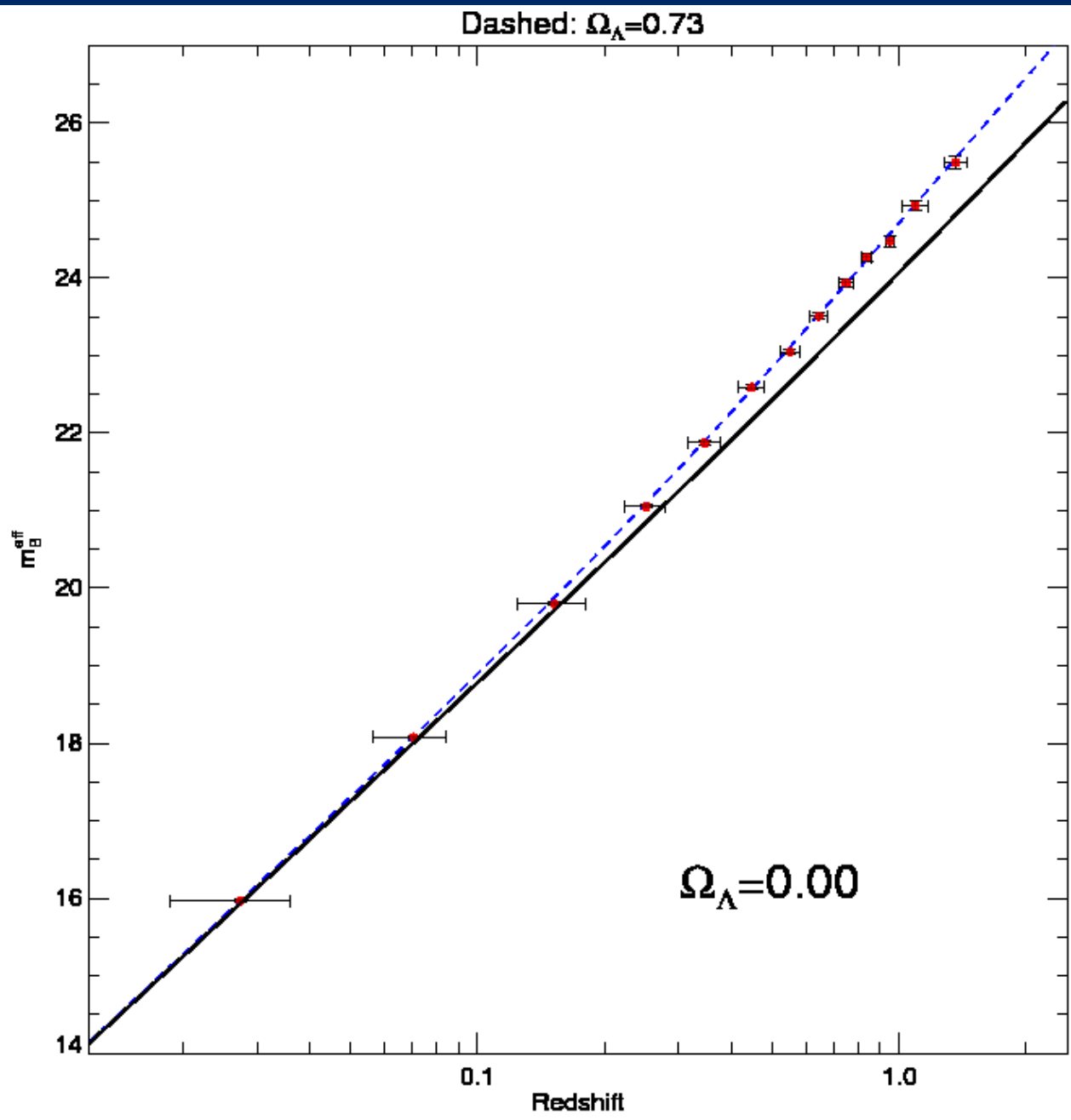
- Direct Detection:
  - DAMA annual modulation
  - COGENT, CRESST, CMDS-Si (but XENON, LUX)
- Indirect Detection:
  - The HEAT/PAMELA/FERMI positron excess
  - 130 GeV gamma ray line in FERMI
  - FERMI bubble near galactic center
- Theorists are looking for models in which some of these results are consistent with one another (given an interpretation in terms of WIMPs)

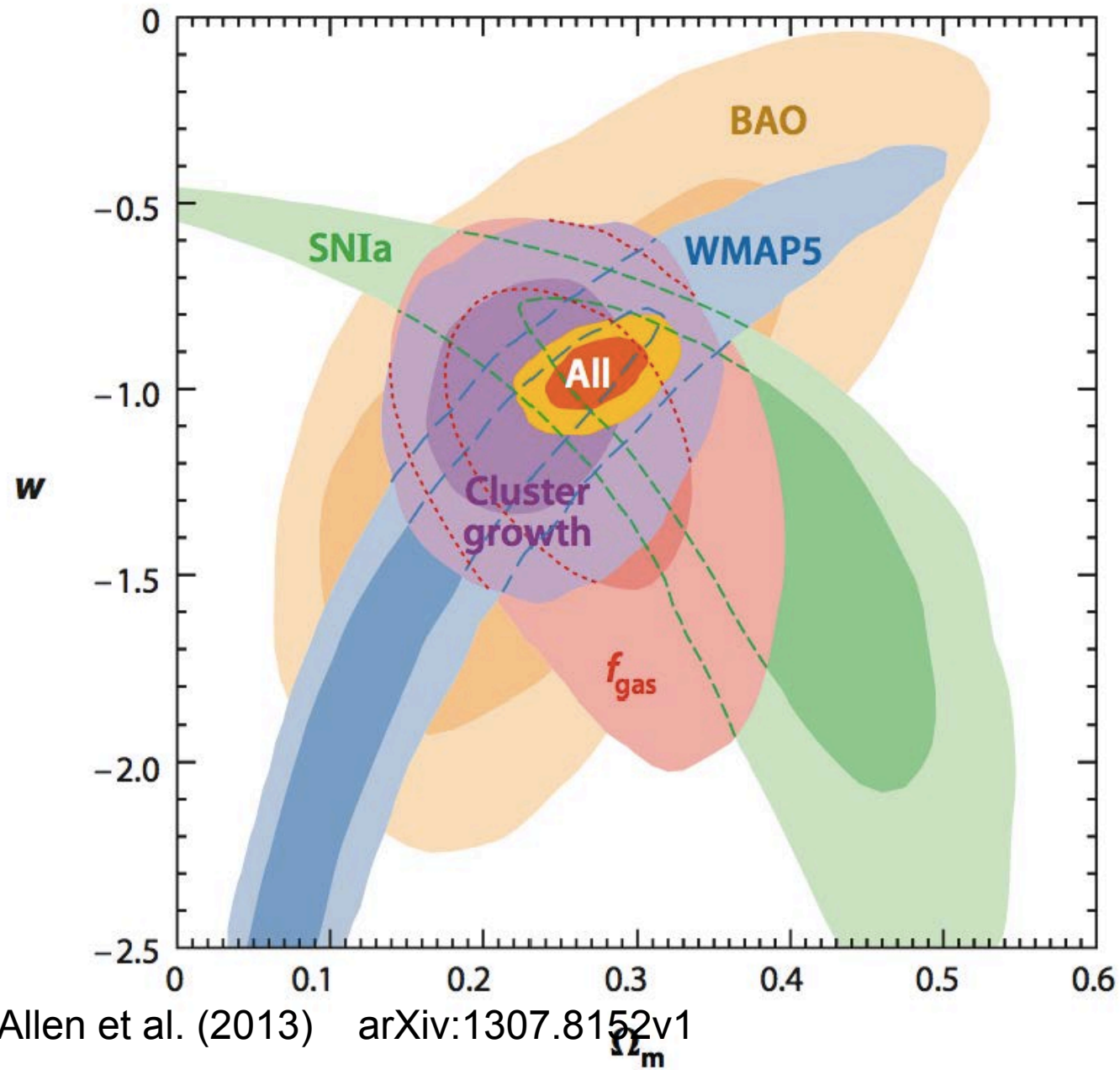
# Dark Energy

- Experimental: Talk of Bob Kirshner
- Theory: What is it?
- Talk of George Ellis on inhomogeneous Universe as alternative to vacuum energy. Do we live in a 300 Mpc void at a distance of 15 Mpc from the center? Do CMB and kSZ data allow this option to survive?

Looks  
easy  
now!

Figure  
from  
Ariel  
Goobar





Allen et al. (2013) arXiv:1307.8152v1

# Current and Future missions that will teach us about DE

- DES
- PANSTARRS
- RAISIN (use IR Camera on HST)
- JWST
- EUCLID
- LSST
- GMT
- AFTA/WFIRST

# The Role of Texas Relativistic Astrophysics meetings

- Major collaborations between the many types of physicists here can solve these problems:
- The experimental tensions
- The theoretical tensions
- What are the dark matter and dark energy

LOOK FORWARD TO THE NEXT 50 YEARS!!!!